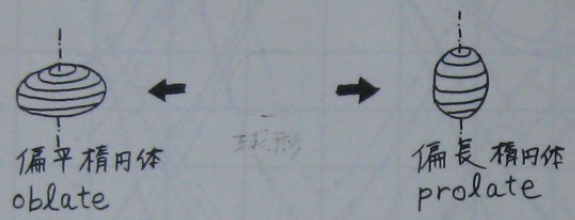


[研究のスタンス]

ニルソン準位図を使って個々の核ごとにその変形を説明するのではなく。
 変形の化変向を全核種にわたって一括して理解することを目指す。
 ただし、
 元のハミルトニアン (即ち 2体相互作用) まで遡るのは将来の課題にとっておき、
 一体の平均ポテンシャルの性質に帰着させることをまずめざす。

枝変形の偏長・偏平と対相関

福井大工 田嶋直樹 九州大理 清水良文



原子核の基底状態での変形は
 偏長形が圧倒的に多いらしい。

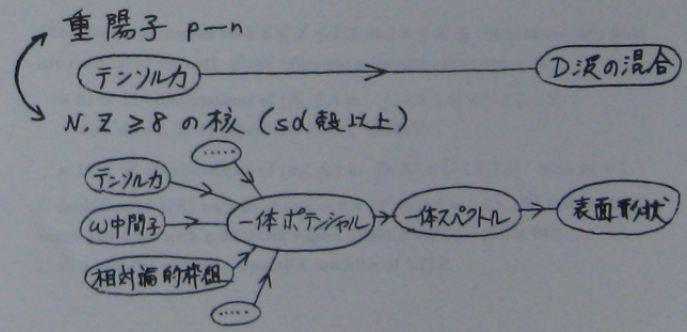
★ その起源は？

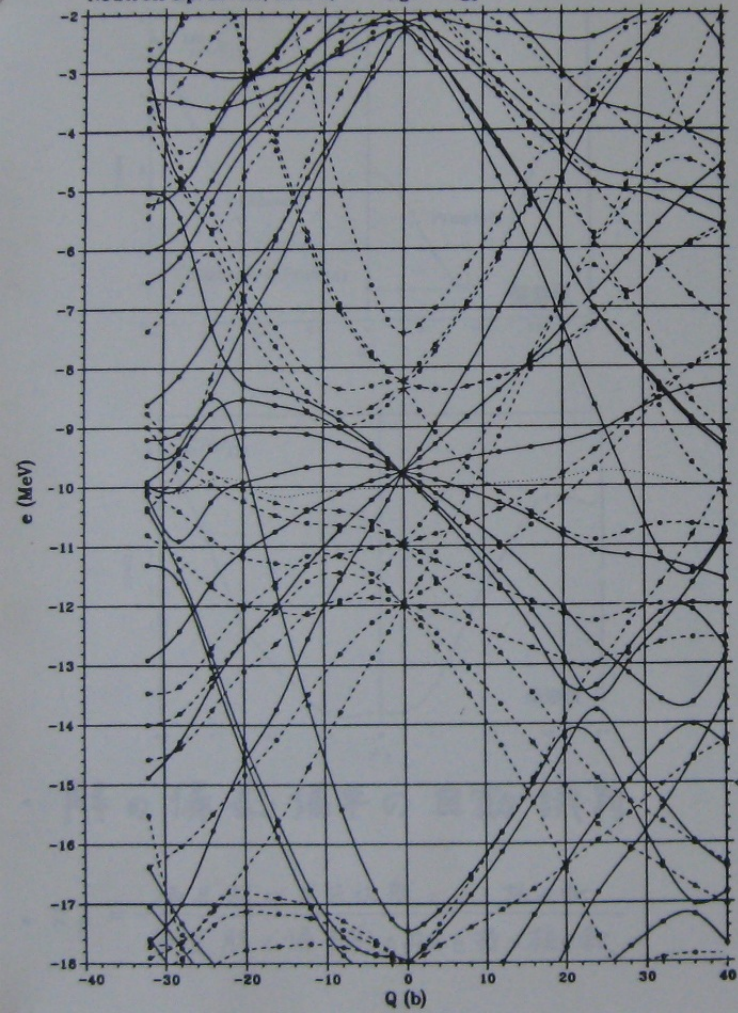
- ・ 巨視的效果 (クローン反転, 集団運動) → 弱いのでは因 W. Zickendraht, 1985
- ・ Woods-Saxon型 動径依存性 → 電斥 H. Frisk, 1990
- ・ スピン軌道ポテンシャル (2000年春学会) → 同じ位重要、強く干渉
- ・ 対相関 (今回) → 意外な向きに影響

★ 中性子の過剰による平均ポテンシャルの変化の影響は？

- ・ 偏平優勢へ

Ref. Phys. Rev. C64, 037301 (2001) + new results





We study the proportion of prolate nuclei among well deformed nuclei, R_p , as a function of the strengths of ls and l^2 potentials of the Nilsson model,

$$U(r) = \frac{1}{2}(\omega_x^2 x^2 + \omega_y^2 y^2 + \omega_z^2 z^2) + 2\hbar\omega_0 r_1^2 \sqrt{\frac{4\pi}{9}} \epsilon_4 Y_{40}(\hat{r}) + [f_{l1}] 2\kappa \hbar\omega_0 l \cdot s - [f_{l2}] \kappa \mu \hbar\omega_0 (l_1^2 - l_2^2) N$$

and the pairing force strength, which reproduces average pairing gap of

$$\bar{\Delta} = \frac{2\Delta_0}{\sqrt{A}}$$

Some details:

- volume conservation: $\omega_x^2 \omega_{||} = \text{constant}$. $\rightarrow \omega_x(\epsilon_2), \omega_{||}(\epsilon_2)$
- ϵ_4 optimized for each ϵ_2
 $-0.5 \leq \epsilon_2 \leq 0.5$, $\Delta\epsilon_2 = 0.02$, $-0.3 \leq \epsilon_4 \leq 0.3$, $\Delta\epsilon_4 = 0.02$
 i.e. $51 \times 31 = 1581$ deformations for a nucleus
- standard κ and μ of Bengtsson and Ragnarsson (1985)
- Strutinsky method

1834 even-even nuclei with $8 \leq Z \leq 126$ and $8 \leq N \leq 184$ between drip lines are calculated for each of the following potential parameter sets:

- 31×31 combinations of (f_{l1}, f_{l2}) in $[-1.5, 1.5] \times [-1.5, .5]$ with $a_{\Delta} = 0, 3, 13$ (standard value), 16 MeV.
- $11 \times \frac{31}{41}$ combinations of (a_{Δ}, f_{l2}) in $[0, 30] \times [-1.5, 1.5]$ with $f_{l1} = 1$

Calculation of 4185 nuclear charts = 8×10^6 nuclei = 1.2×10^{10} deformations takes 320 days with a 833MHz Alpha 21264(EV68) (~ 2 GHz PC), took 4 months utilizing a parallel machine of YITP.

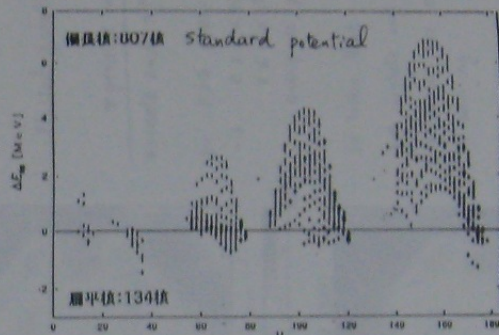
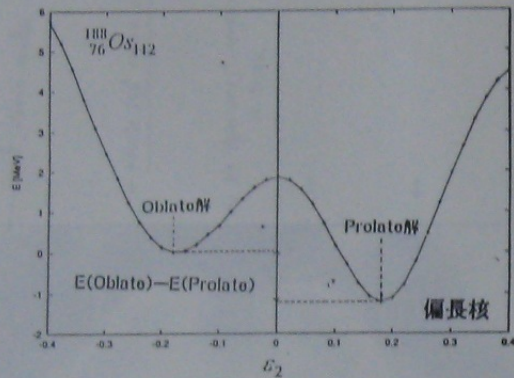


図 5.4: $f_{\text{ob}} = f_{\text{pr}} = 1$ としたとき、それぞれの核の ΔE_{sp} .

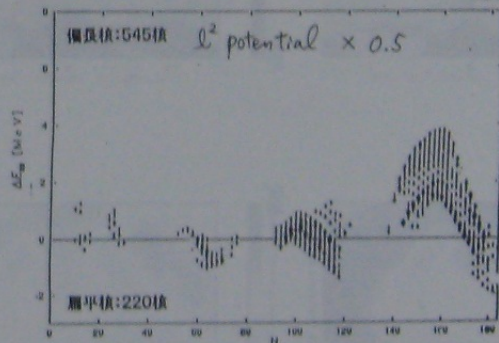
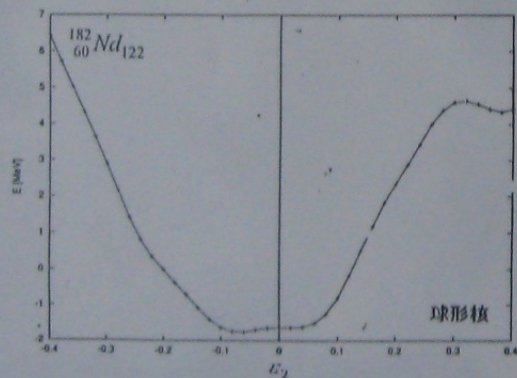
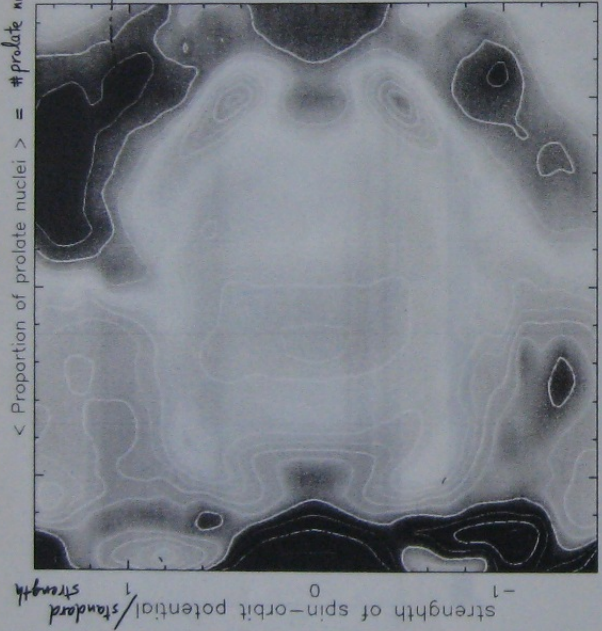


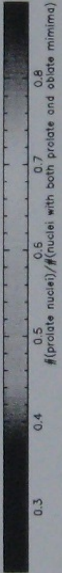
図 5.5: $f_{\text{ob}} = 1, f_{\text{pr}} = 0.5$ としたとき、それぞれの核の ΔE_{sp} .

解の偏長・偏平の自動識別

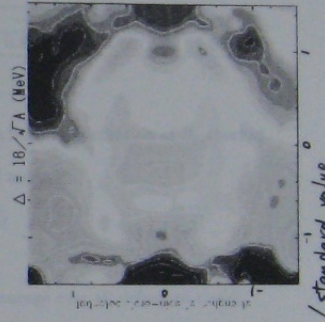
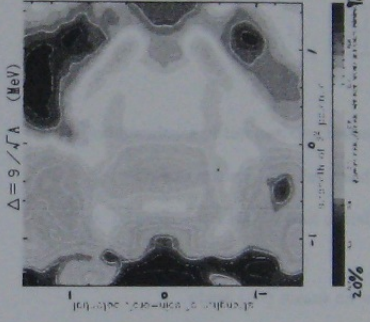
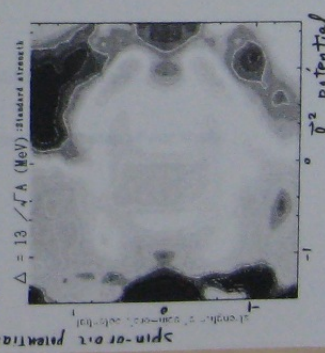
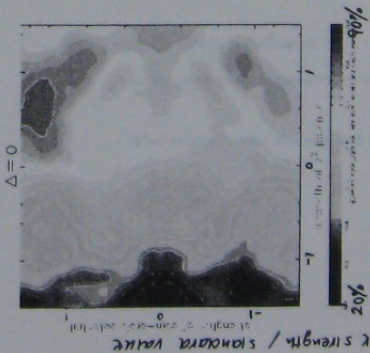
• $R_P = \frac{\text{偏長解が基底状態である核の数}}{\text{偏長解と偏平解の両方を持つ核の数}}$



strength of Q^2 potential / standard strength



« Effects of the Pairing Correlation »



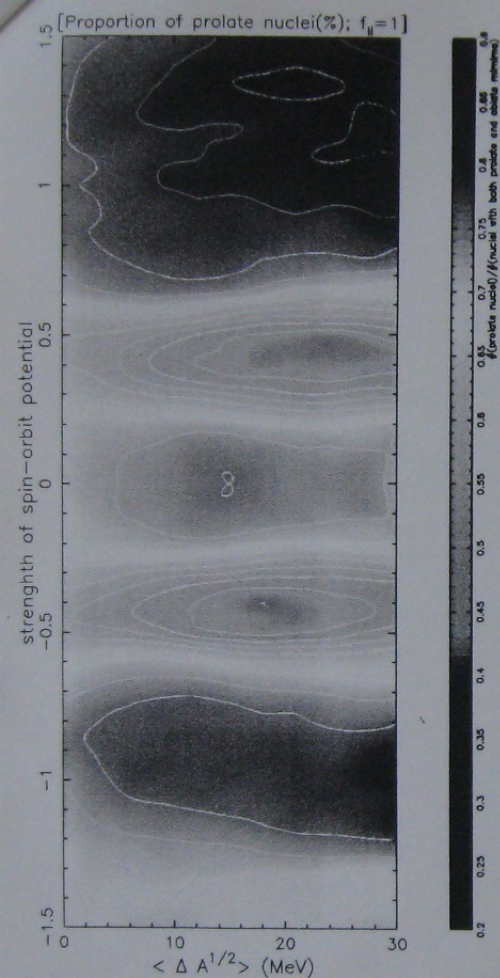
Plotted quantity is

#prolate nuclei
#prolate nucl. + #oblate nucl.

for 1834 even-even nuclei
with $R \leq Z \leq 126$
 $8 \leq N \leq 184$
n-drip to p-drip

It looks that
both prolate and oblate
dominances are enhanced
by pairing.

31 = 86 / points calc. in each panel
80 days with 833MHz EV8BAlpha
YIP computer facility
parallel machine



Summary of the results

- Prolate dominance reproduced. ($f_{II} = f_{Is} = 1$ point)
Standard $l \cdot s$ and $I^2 \Rightarrow R_p = 0.86$.
- Castel's idea tested. ($f_{II} = f_{Is} = 0$ point)
Harmonic oscillator has a weak prolate preference of $R_p = 0.55$.
- H. Frisk's idea confirmed. ($f_{Is} = 0$ line)
- Changing $l \cdot s$ strength \Rightarrow Strong interference:

with $f_{II} = 1$,

| | | | | | |
|----------|------|------|------|------|------|
| f_{Is} | -1 | -0.5 | 0 | 0.5 | 1 |
| R_p | 0.81 | 0.44 | 0.78 | 0.45 | 0.86 |

2. Independence of the last conclusion from the definition of R_p , checked.

- a. (#prolate nuclei) / (#deformed nuclei)
- b. (#prolate nuclei) / (#all nuclei)
- c. $\langle E(\text{oblate}) - E(\text{prolate}) \rangle$

where $\langle \dots \rangle$ means an average over all deformed nuclei
which have both prolate and oblate minima

- Pairing correlation enhances

both prolate dominance and oblate dominance.

The reason to be understood in the next step of our study.